11/4/25, 1:10 PM Exam 4

Power Series	Functions as Power Series	Taylor & Maclaurin	Taylor Polynomials	Random
100 What are the two things to find when doing Power Series?	100 Find the IoC:	100 What makes a Taylor series into a Maclaurin series?	100 Consider the following function. $f(x)=1/x$, $a=1$, $n=2$, $0.7 \le x \le 1.3$	100 What planet has the strongest gravity?
Interval of convergence & radius of convergence	$g(x) = (x^3)/(1+x^7)$ IoC: (-1,1)	When a=0	Approximate f by a Taylor polynomial with degree n at the number a.	Jupiter
			$f(x)=1-(x-1)+(x-1)^2$	
200 What is the primary test to find the radius of convergence?	200 Find a power series representation:	200 Find the function represented by the given power series:		200 When Amazon started what was the only product they sold?
Ratio Test	$g(x) = (x^3)/(1+x^7)$	$\sum (-1)^{n}(x^{8n})/(n!)$		Books
	$\Sigma (-1)^n x^{7n+3}$	$e^{x}=\sum (x^{n})/n!$ for all x		
	n=0 to ∞			
300 Find the radius & interval of convergence	300 Find the power series representation:	300 Find the Taylor series for f centered at 5 if:	300 A car is moving with speed 50 m/s and acceleration 4 m/s ² at a	300 What singer holds the most Grammy nominations?
Σ (x ⁿ /n4 ⁿ)	$f(x) = 6/(1+7x^4)$	$f^{(n)}(5)=((-1)^n n!)/(4^n (n+3))$	given instant. Using a second- degree Taylor polynomial,	Beyonce
n=1 to ∞	Σ 6(-7) ⁿ x ⁴ⁿ	$\Sigma ((-1)^{n}(x-5)^{n})/(4^{n}(n+3))$	estimate how far the car moves in the next second.	
RoC: 4	n=0 to ∞		52 m	
IoC: [-4,4)				
400 Find the RoC & IoC.	400 Find the IoC:	400 What is the radius of		400 How long is a marathon?
$\sum ((n+1)(x-2)^n)/(2n+1)!$	$f(x) = (3x^2)/(5-2\sqrt[3]{x})$	convergence R of the Taylor series?		26.2 miles
n=0 to ∞	-125/8 < x < 125/8	$f^{(n)}(5) = ((-1)^n n!)/(4^n (n+3))$		
RoC: ∞		R=4		
IoC: (-∞ ,∞)				
500 Find the RoC & IoC:	500 Find the power series representation:	500 Find the Maclaurin series:	500 Consider the following function	500 What is the closest living relative to the T-Rex?
$\Sigma ((x-8)^n)/(n^4+1)$	$f(x) = (3x^2)/(5-2\sqrt[3]{x})$	$f(x) = 9(1-x)^{-2}$	f(x)=sin(x), a=pi/6, n=4, 0≤x≤pi/3	Chicken
n=0 to ∞		- 9Σ(n+1)x ⁿ	Approximate f by a Taylor	Cincken
RoC: 1	$\Sigma (3/5)(2/5)^n x^{1/3n+2}$		polynomial with degree n at the number a.	
IoC: [7,9]			$ \frac{1/2 + \sqrt{3/2(x-pi/6)} - 1/4(x-pi/6)^2}{-\sqrt{3/12(x-pi/6)^3} + 1/48(x-pi/6)^4} $	